

Seismic Design of New R.C. Structures

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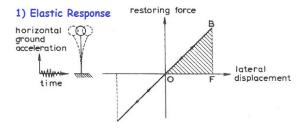
Pisa, March 2015

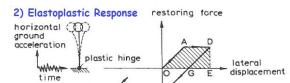
Seismic Design Philosophy

Main Concepts

- Energy dissipation
- Ductility
- Capacity design
- Learning from Earthquakes

Energy Dissipation

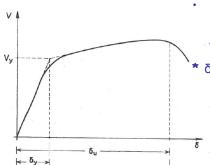




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Ductility and Ductility Factors

- Ductility is the ability of the system to undergo plastic deformation. The structural system deforms before collapse without a substantial loss of strength but with a significant energy dissipation.
- The system can be designed with smaller restoring forces, exploiting its ability to undergo plastic deformation.



- Ductility factor (δ_u/δ_y) : Ratio of the ultimate deformation at failure δ_u to the yield deformation δ_y .
- * δ_u is defined for design purposes as the deformation for which the material or the structural element loses a predefined percentage of its maximum strength.



• In terms of displacements: $\mu_{\delta} = \frac{\delta_u}{\delta_v}$ δ_u : ultimate deformation at failure δ_y : yield deformation

• In terms of rotations: $\mu_{\theta} = \frac{\theta_{u}}{\theta_{v}} \quad \theta_{u}$: ultimate rotation at failure θ_{v} : yield rotation

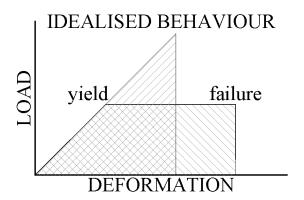
• In terms of curvatures: $\mu_{\varphi} = \frac{\varphi_u}{\varphi_v}$ φ_v : ultimate curvature at failure φ_v : yield curvature

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Behaviour q Factor

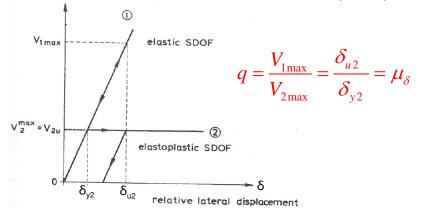
The q factor corresponds to the reduction in the level of seismic forces due to nonlinear behaviour as compared with the expected elastic force levels.



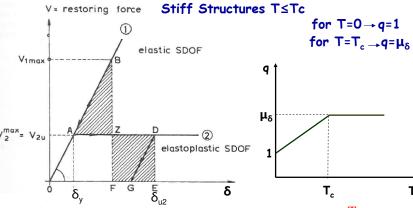
Ductility and Behaviour Factor q

Definition
$$q = \frac{V_{el.}}{V_{inel}}$$

Flexible Structures T ≥ Tc : Rule of equal dispacement



Ductility and Behaviour Factor q



Rule of equal dissipating energy $q = \frac{V_{el}}{V_{inel}} = \frac{V_{1\max}}{V_{2\max}} = (2\,\mu_\delta - 1)^{1/2}$

 $q = 1 + (\mu_{\delta} - 1) \frac{T}{T_c}$ (Eurocode 8)

Design spectrum for linear analysis

- The capacity of structural systems to resist seismic actions in the non-linear range permits their design for resistance to seismic forces smaller than those corresponding to a linear elastic response.
- The energy dissipation capacity of the structure is taken into account mainly through the ductile behavior of its elements by performing a linear analysis based on a reduced response spectrum, called design spectrum. This reduction is accomplished by introducing the behavior factor q.

Design spectrum for linear analysis (Eurocode 8)

 For the horizontal components of the seismic action the design spectrum, S_d(T), shall be defined by the following expressions:

$$0 \le T \le T_{\rm B} : S_{\rm d}(T) = a_{\rm g} \cdot S \cdot \left[\frac{2}{3} + \frac{T}{T_{\rm B}} \cdot \left(\frac{2.5}{q} - \frac{2}{3} \right) \right]$$

$$T_{\mathbf{B}} \le T \le T_{\mathbf{C}}$$
: $S_{\mathbf{d}}(T) = a_{\mathbf{g}} \cdot S \cdot \frac{2.5}{q}$

$$T_{\mathbf{C}} \leq T \leq T_{\mathbf{D}} : S_{\mathbf{d}}(T) \begin{cases} = a_{\mathbf{g}} \cdot S \cdot \frac{2.5}{q} \cdot \left[\frac{T_{\mathbf{C}}}{T} \right] \\ \geq \beta \cdot a_{\mathbf{g}} \end{cases}$$

$$T_{\mathbf{D}} \leq T: \qquad S_{\mathbf{d}}(T) \begin{cases} = a_{\mathbf{g}} \cdot S \cdot \frac{2.5}{q} \cdot \left[\frac{T_{\mathbf{C}} T_{\mathbf{D}}}{T^2} \right] \\ \geq \beta \cdot a_{\mathbf{g}} \end{cases}$$

 a_g is the design ground acceleration on type A ground (a_g = $\gamma_{\rm I}.a_{gR}$); $\gamma_{\rm I}$ =importance factor

 $T_{\rm B}$ is the lower limit of the period of the constant spectral acceleration branch; $T_{\rm C}$ is the upper limit of the period of the constant spectral acceleration branch; $T_{\rm D}$ is the value defining the beginning of the constant displacement response range

of the spectrum;

S is the soil factor

 $S_d(T)$ is the design spectrum;

q is the behaviour factor;

 $\hat{\beta}$ is the lower bound factor for the horizontal design spectrum, recommended β =0.2



Importance Classes (Eurocode 8)

Importance classes for buildings

Importance class	Buildings
I	Buildings of minor importance for public safety, e.g. agricultural buildings, etc.
II	Ordinary buildings, not belonging in the other categories.
III	Buildings whose seismic resistance is of importance in view of the consequences associated with a collapse, e.g. schools, assembly halls, cultural institutions etc.
IV	Buildings whose integrity during earthquakes is of vital importance for civil protection, e.g. hospitals, fire stations, power plants, etc.



Behaviour Factor (Eurocode 8)

• The upper limit value of the behavior factor q, introduced to account for energy dissipation capacity, shall be derived for each design direction as follows: $q = q_o \cdot k_w \ge 1.5$

Where q_o is the basic value of the behavior factor, dependent on the type of the structural system and on its regularity in elevation;

 k_w is the factor reflecting the prevailing failure mode in structural systems with walls: $k_u = (1+a_o)/3 \le 1$ and ≥ 0.5 $a_o = \Pr{evailing \ wall \ aspect \ ratio} = \sum h_{wi}/\sum \ell_{wi}$

• Low Ductility Class (DCL): Seismic design for low ductility, following EC2 without any additional requirements other than those of § 5.3.2, is recomended only for low seismicity cases (see §3.2.1(4)).



Behaviour Factor (Eurocode 8)

A behaviour factor **q of up to 1,5** may be used in deriving the seismic actions, regardless of the structural system and the regularity in elevation.

Medium (DCM) and High Ductility Class (DCH):

Basic value of the behaviour factor, q_0 , for systems regular in elevation

STRUCTURAL TYPE	DCM	DCH
Frame system, dual system, coupled wall system	$3.0 \alpha_{\rm u}/\alpha_{\rm 1}$	$4.5 \alpha_{\rm u}/\alpha_1$
Uncoupled wall system	3,0	$4.0 \alpha_{\rm u}/\alpha_1$
Torsionally flexible system	2,0	3,0
Inverted pendulum system	1,5	2,0

For buildings which are <u>not regular in elevation</u>, the value of q_0 should be reduced by 20%

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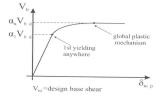
a_u/a₁ in behaviour factor of buildings designed for ductility: due to system redundancy & overstrenght

Normally:

 $\alpha_{\rm u}$ & $\alpha_{\rm 1}$ from base shear - top displacement curve from pushover analysis.

 $\triangleright \alpha_{\rm u}$: seismic action at development of global mechanism:

α₁: seismic action at 1st flexural yielding anywhere.



- $\alpha_{11}/\alpha_{1} \le 1.5$;
- default values given between 1 to 1.3 for buildings regular in plan:
 - = 1.0 for wall systems w/ just 2 uncoupled walls per horiz. direction;
 - = 1.1 for

one-storey frame or frame-equivalent dual systems, and wall systems w/ > 2 uncoupled walls per direction.

= 1.2 for:

one-bay multi-storey frame or frame-equivalent dual systems, wall-equivalent dual systems & coupled wall systems;

= 1.3 for:

multi-storey multi-bay frame or frame-equivalent dual systems.

for buildings irregular in plan:

default value = average of default value of buildings regular in plan and 1.0



Structural Regularity (Eurocode 8)

 For seismic design, building structures in all modern codes are separated in two categories: a) regular buildings

b) non-regular buildings

- This distinction has implications for the following aspects of the seismic design:
 - the structural model, which can be either a simplified planar model or a spatial model;
 - the method of analysis, which can be either a simplified response spectrum analysis (lateral force procedure) or a modal one;
 - the value of the behavior factor q, which shall be decreased for buildings non-regular in elevation



Structural Regularity (Eurocode 8)

Consequences of structural regularity on seismic analysis and design

Regularity		Allowed Simplification		Behaviour factor
Plan	Elevation	Model Linear-elastic Analysis		(for linear analysis)
Yes	Yes	Planar	Lateral force ^a	Reference value
Yes	No	Planar	Modal	Decreased value
No	Yes	Spatial ^b	Lateral force ^a	Reference value
No	No	Spatial	Modal	Decreased value

Criteria for Regularity in Elevation (Eurocode 8)

- All lateral load resisting systems, such as cores, structural walls, or frames, shall run without interruption from their foundations to the top of the building or, if setbacks at different heights are present, to the top of the relevant zone of the building.
- Both the lateral stiffness and the mass of the individual storeys shall remain constant or reduce gradually, without abrupt changes, from the base to the top of a particular building.
- · When setbacks are present, special additional provisions apply.

Bal.

STRUCTURE OF EN1998-1:2004

- 1 General
- 2 Performance Requirements and Compliance Criteria
- 3 Ground Conditions and Seismic Action
- 4 Design of Buildings
- 5 Specific Rules for Concrete Buildings
- 6 Specific Rules for Steel Buildings
- 7 Specific Rules for Steel-Concrete Composite Buildings
- 8 Specific Rules for Timber Buildings
- 9 Specific Rules for Masonry Buildings
- 10 Base Isolation



How q is achieved?

- Specific requirements in detailing (e.g. confining actions by well anchored stirrups)
- Avoid brittle failures
- Avoid soft storey mechanism
- Avoid short columns
- Provide seismic joints to protect from earthquake induced pounding from adjacent structures
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Material limitations for primary seismic elements"

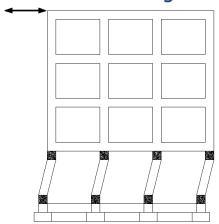
Ductility Class	DC L (Low)	DC M (Medium)	DC H (High)
Concrete grade	No limit	≥ C16/20	≥ C16/20
Steel class per EN 1992- 1-1, Table C1	B or C	B or C	only C
longitudinal bars		only ribbed	only ribbed
Steel overstrength:	No limit	No limit	$f_{yk,0.95} \le 1.25 f_{yk}$

Recommended: Use same values as for persistent & transient design situations (i.e. concrete: γ_c =1.5, steel: γ_s =1.15);

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Capacity Design

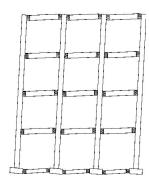
Avoid weak column/strong beam frames

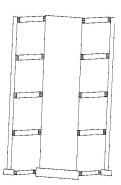




Capacity Design

Provide strong column/weak beam frames or wall equivalent dual frames, with beam sway mechanisms, trying to involve plastic hinging at all beam ends

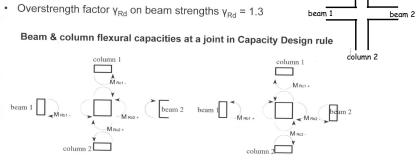




Capacity Design (Eurocode 8)

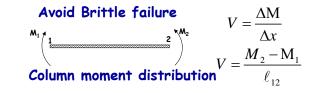
Strong column/weak beam capacity design rule in frames or frameequivalent dual systems (frames resist >50% of seismic base shear) above two storeys (except at top storey joints):

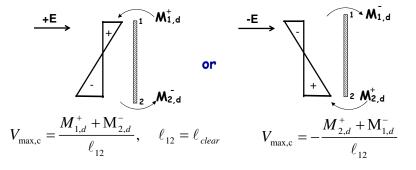
$$\sum M_{Rc} \ge \gamma_{Rd} \sum M_{Rb}$$



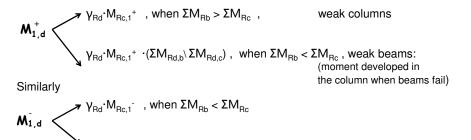
Exceptions: see EC8 §5.2.3.3 (2)

Shear Capacity Design (Eurocode 8)





Shear Capacity Design of Columns (Eurocode 8)

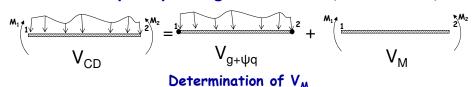


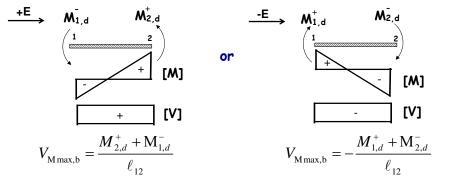
Also similarly for $M_{2,d}^+$, $M_{2,d}^-$

 ΣM_{Rb} , ΣM_{Rc} for the corresponding direction of seismic action (+E or -E)

- In DC H γ_{Rd} =1.3
- In DC M γ_{Rd}=1.1

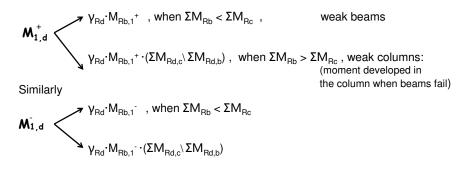
Shear Capacity Design of Beams (Eurocode 8)





- In DC H $\gamma_{Rd}=1.2$
- In DC M $\gamma_{Bd}=1.0$

Shear Capacity Design of Beams (Eurocode 8)



Also similarly for $M_{2,d}^+$, $M_{2,d}^-$

 ΣM_{Rb} , ΣM_{Rc} for the corresponding direction of seismic action (+E or -E)

- In DC H γ_{Rd}=1.3
- In DC M $\gamma_{Rd}\!\!=\!\!1.1$

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Local Ductility Conditions

- ✓ Relation of $L_{\rm pl}$ & $L_{\rm s}$ for typical RC beams, columns & walls (considering: $\varepsilon_{\rm cu}^* = 0.0035 + 0.1a\omega_{\rm w}$)

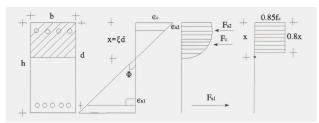
 $L_{pl} \approx 0.3 \, L_s$ and for safety factor $2:L_{pl} \approx 0.15 \, L_s$ Then: $\mu_{\phi} \approx 2 \, \mu_{\delta} - 1$

 $\begin{array}{ll} \text{ For } \mathsf{T_1} \! \! \geq \! \mathsf{T_c} & \mu_{\phi} = 2\mu_{\delta} - 1 = 2q - 1 \\ \text{ For } \mathsf{T_1} \! \! \leq \! \mathsf{T_c} & \mu_{\phi} = 2\mu_{\delta} - 1 = 2[1 + (q - 1)\frac{T_c}{T_1}] - 1 = 1 + 2(q - 1)\frac{T_c}{T_1} \\ \end{array}$

In EC8 q_o is used instead of q concervatively to include irregular buildings (q<q $_o$) Therefore:

$$\begin{split} \mu_{\phi} &= 2q_o - 1 \ if \quad T_1 \geq T_c \\ \mu_{\phi} &= 1 + 2(q_o - 1) \frac{T_c}{T_1} \quad if \ T_1 < T_c \end{split}$$

Ductility Estimation for Beams



$$F_{c} = (0.85f_{c})(0.80x_{u})b = 0.68f_{c}x_{u}b$$

$$F_{s1} = A_{s1}f_{y} = \rho_{1}bdf_{y} \quad \rho_{1} = A_{s1}/bd$$

$$F_{s2} = A_{s2}f_{y} = \rho_{2}bdf_{y} \quad \rho_{2} = A_{s2}/bd$$

$$N = F_{s1} - F_{s2} - F_{c} = 0$$

$$\rho_{1}bdf_{y} - \rho_{2}bdf_{y} - 0.68f_{c}x_{u}b = 0$$

$$X_{u} = \frac{(\rho_{1} - \rho_{2})f_{y}d}{0.68f_{c}}$$

$$\Phi = \frac{e_c}{x} = \frac{e_{st}}{d-x} = \frac{e_c + e_{st}}{d}$$

$$\Phi_u = \frac{e_{cu}}{x_u} = \frac{0.68f_c}{(\rho_1 - \rho_2)f_y d} e_{cu}$$

$$\Phi_y = \frac{e_y}{d-x_y} = \frac{f_y / E_s}{d(1 - \xi_y)}$$

$$\Psi_{\Phi} = \frac{0.68f_c e_{cu} E_s}{f_y^2 (\rho_1 - \rho_2)} (1 - \xi_y)$$

Ductility Estimation for Beams

Ductility increases when:

$$\begin{array}{c|c} c_{cu} & f_c & \longrightarrow & \text{confinement} \\ \hline \rho_2 & \rho_1 & \longrightarrow & \text{Compressive reinforcement neccessary} \\ \hline & & \text{While for tension reinforcement: the less the best} \end{array}$$

Ductility Estimation for Columns

$$F_c + F_{s2} - F_{c1} = N$$

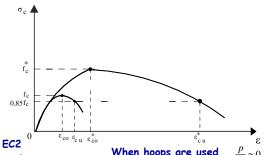
$$v = N / b df_c$$

$$\mu_{\phi} = \frac{\phi_u}{\phi_v} = 1.2 \frac{E_s}{f_v} \left[\frac{0.6}{v + (\rho_1 - k\rho_2)(f_v / f_s)} - 1 \right] \varepsilon_{cu}$$

Ductility is reduced when axial load increases

EC8 limits: $v_d \geqslant 0.65$ for DCM and $v_d \geqslant 0.55$ for DCH

Confined Concrete Model



According to EC2 $f_c^* = \beta f_c \qquad \varepsilon_{co}^* = \beta^2 \varepsilon_{co}$ Adopting $\beta \approx 1+3, 7 \left(\frac{p}{f_c}\right)^{0.86}$ (Newman K. & Newnan J.B. 1971) $\beta \approx \min \left(1+5\frac{p}{f_c}, \quad 1.125+2.5\frac{p}{f_c}\right)$ $\varepsilon_{cu}^* = 0.0035+0.2\frac{p}{f}$

When hoops are used $\frac{p}{f_c} \approx 0.5 a \, \omega_w$ ω_w = Mechanical volumertic ratio of hoops $\omega_{\rm wd} = \frac{\rm volume\ of\ confining\ hoops}{\rm volume\ of\ concrete\ core} \cdot \frac{f_{\rm yd}}{f_{\rm cd}}$ α = Confinement effectiveness factor, $a = a_s \, a_n$ Therefore $\beta = \min(1 + 2.5 \, a \omega_w, \quad 1.125 + 1.25 a \omega_w)$ $\varepsilon_w^* = 0.0035 + 0.1 a \omega_w$



Detailing of primary beams for local ductility

EN 1998-1:2004 (E) § 5.4.3.1.2

For Tension Reinforcement

$$\rho_{\min} = 0.5 \left(\frac{f_{\text{ctm}}}{f_{\text{yk}}} \right)$$

$$\rho_{\text{max}} = \rho' + \frac{0,0018}{\mu_{\varphi} \varepsilon_{\text{sy.d}}} \cdot \frac{f_{\text{cd}}}{f_{\text{yd}}}$$

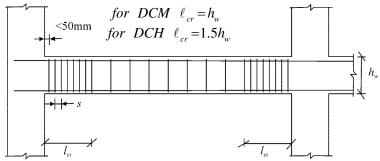
For Comression Reinforcement

$$\rho_2 = \rho_2^{req} + 0.5\rho$$

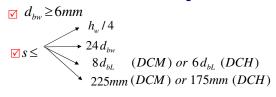
More detailing rules for DCH

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Detailing of primary beams for local ductility



Within $\ell_{\rm cr}$ transverse reinforcement in critical regions of beams:



Detailing of primary seismic columns for local ductility EN 1998-1:2004 (E) § 5.4.3.2.2

 h_{c} $DCM : \ell_{cr} = max \begin{cases} h_{c} \\ \ell_{cl} / 6 \\ 0.45 \text{ m} \end{cases}$ ℓ_{cr} $DCH : \ell_{cr} = max \begin{cases} 1.5 \text{ h}_{c} \\ \ell_{cl} / 6 \\ 0.60 \text{ m} \end{cases}$

Everywhere $d_{bw} \ge \frac{6mm}{\frac{1}{2}d_{bl, max}}$

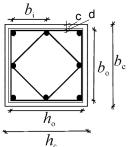
more restrictions for DCH critical regions

In critical regions

$$for \ DCM \\ s \leq \begin{cases} b_o/2 \\ 8d_{bL, \min} \\ 175 mm \end{cases}$$

$$for \ DCH \\ for \ DCH \\ s \leq \begin{cases} b_o/3 \\ 6d_{bL, \min} \\ 125 mm \end{cases}$$

Detailing of primary seismic columns for local ductility EN 1998-1:2004 (E) § 5.4.3.2.2



Normilised Axial Load $v_d \le 0.65$ for DCM

$$v_d \le 0.65$$
 for DCM
 $v_d \le 0.55$ for DCH

$$\rho_{tot} = \frac{A_{stot}}{b_{o}} \qquad \min \rho_{tot} = 1\% \\
b_{o} = b_{c} - 2(c + \frac{d_{w}}{2}) \qquad \max \rho_{tot} = 4\% \\
b_{i} \le 200 \, mm \, for \, DCM$$

At least 3 bars in every slide

 $b_i \le 150 \, mm \, for \, DCH$



$$\alpha \omega_{\rm wd} \ge 30 \mu_{\varphi} v_{\rm d} \cdot \varepsilon_{\rm sy,d} \cdot \frac{b_{\rm c}}{b_{\rm o}} - 0{,}035$$

$$\omega_{\rm w} \ge 0.08 \ for DCM \qquad \omega_{\rm w} \ge 0.12 \ for DCH$$

$$\omega_{\text{wd}} = \frac{\text{volume of confining hoops}}{\text{volume of concrete core}} \cdot \frac{f_{\text{yd}}}{f_{\text{cd}}},$$

 α is the confinement effectiveness factor, equal to $\alpha = \alpha_n \cdot \alpha_s$,

For rectangular cross-sections:

$$\alpha_{\rm n} = 1 - \sum_{\rm n} b_{\rm i}^2 / 6b_{\rm o}h_{\rm o}$$

$$\alpha_s = (1 - s / 2b_0)(1 - s / 2h_0)$$



Beam-Column Joints

✓ DCM

- Horizontal hoops as in critical region of columns
- At least one intermediate column bar at each joint slide

☑ DCH

Specific rules in § 5.5.33



Types of Dissipative Walls

Ductile wall:

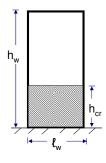
- > Fixed at base, to prevent rotation there w.r.to rest of structural system.
- Designed & detailed to dissipate energy only in flexural plastic hinge just above the base.

Large lightly-reinforced wall (only for DC M):

- Wall with horizontal dimension I_w≥ 4m, expected to develop limited cracking or inelastic behaviour, but to transform seismic energy to potential energy (uplift of masses) & energy dissipated in the soil by rigid-body rocking, etc.
- ➤ Due to its dimensions, or lack-of-fixity at base wall cannot be designed for energy dissipation in plastic hinge at the base.



Ductile Walls



$$h_{cr} = \max \begin{cases} \ell_{w} \\ h_{w} / 6 \end{cases}$$

$$h_{cr} \leq \begin{cases} 2\ell_{w} \\ h_{s} \text{ for } n \leq 6 \text{ storeys} \end{cases}$$

$$2h_{s} \text{ for } n \geq 7 \text{ storeys}$$

 $h_s = clear storey height$

$$\mu_{\phi}$$
 after $q_o' = q_o M_{Ed} / M_{Rd}$
 M_{Ed} / M_{Rd} at the base

Normilised axial load for DCM $v_d > 0.40$ and for DCH $v_d > 0.35$



But:

design of ductile

walls in flexure, to ensure that plastic

hinge develops only at the base:

No strong column/weak beam capacity design required in wall or wallequivallent dual systems (<50% of seismic base shear in walls)

For Shear

Design in shear for V from analysis, times:

1.5 for DCM

■ For DCH,

$$V_{Ed} = \varepsilon V_{Ed}$$
 $\varepsilon \ge 0.5$

$$\varepsilon = q \cdot \sqrt{\left(\frac{\gamma_{\rm Rd}}{q} \cdot \frac{M_{\rm Rd}}{M_{\rm Ed}}\right)^2 + 0.1 \left(\frac{S_{\rm e}(T_{\rm C})}{S_{\rm e}(T_{\rm I})}\right)^2} \le q$$

Typical moment diagram in a concrete wall from the analysis & linear envelope for its (over-)design in flexure according Eurocode 8

- EC8 Design envelope



Design and Detailing of Ductile Walls

- · Inelastic action limited to plastic hinge at base
- · Wall provided with flexural overstrength above plastic hinge region

strain distribution $\frac{\mathbf{x}_{_{\mathbf{u}}}}{\mathbf{b}_{_{\mathbf{u}}}} = \boldsymbol{\varepsilon}_{_{cu}}^{*}$ $also~~\ell_{_{c}} \geq (0.15\ell_{_{\mathbf{w}}},~1.5b_{_{c}})$

Confined boundary element of free-edge wall end: Longitudinal reinforcement $\rho_{\mbox{\tiny lot}} \geq 0.5\%$ Same restrictions as in columns e.g. $\omega_{\mbox{\tiny wd}} \geq 0.08~(DCM)$ $\omega_{\mbox{\tiny wd}} \geq 0.12~(DCH)$

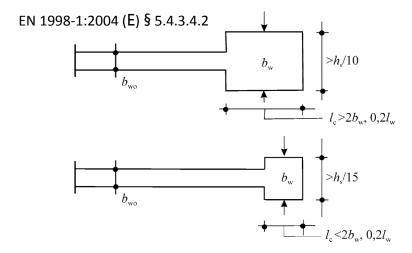
$$S_{\rm max}$$
, etc

 In plastic hinge zone: boundary elements w/ confining reinforcement of effective mechanical volumetric ratio:

$$\begin{split} &\alpha\omega_{\rm wd}=30\mu_{\rm p}(v_{\rm d}+\omega_{\rm v})\epsilon_{\rm yd}b_{\rm c}/b_{\rm o}\text{-}0.035\\ \text{over part of compression zone depth: } x_{\rm u}\text{=}(v_{\rm d}+\omega_{\rm v})\epsilon_{\rm yd}b_{\rm c}/b_{\rm o} \quad \textit{where } \; \omega_{\rm v}\text{=}\rho_{\rm v}\; f_{\rm yd,v}\; /\; f_{\rm cd}\\ \text{where strain between: } \epsilon^*_{\rm cu}\text{=}0.0035\text{+}0.1\alpha\omega_{\rm w}\; \&\; \epsilon_{\rm cu}\text{=}0.0035 \end{split}$$



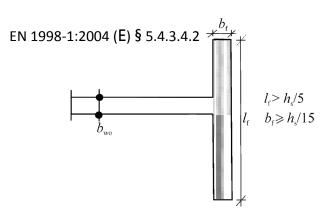
Detailing of Ductile Walls



Minimum thickness of confined boundary elements



Detailing of Ductile Walls



Confined boundary element not needed at wall end with a large transverse flange



Large Lightly Reinforced Walls

- Wall system classified as one of large lightly reinforced walls if, in horizontal direction of interest:
 - at least 2 walls with l_w>4 m, supporting together >20% of gravity load above
 (: sufficient no. of walls / floor area & significant uplift of masses); if just one wall, q=2
 - fundamental period T₁<0.5 s for fixity at base against rotation (: wall aspect ratio low)
- Systems of large lightly reinforced walls:
 - \rightarrow only DC M (q=3);
 - → special (less demanding) dimensioning & detailing.
- · Rationale: For large walls, minimum reinforcement of ductile walls implies:
 - · very high cost;
 - · flexural overstrength that cannot be transmitted to ground.

On the other hand, large lightly reinforced walls:

- · preclude (collapse due to) storey mechanism,
- · minimize nonstructural damage,
- · have shown satisfactory performance in strong EQs.
- If structural system does not qualify as one of large lightly reinforced walls, all its walls designed & detailed as ductile walls.



Design and Detailing of Large Lightly Reinforced Walls

- Vertical steel tailored to demands due to M & N from analysis
 - Little excess (minimum) reinforcement, to minimise flexural overstrength.
- Shear verification for V from analysis times (1+q)/2 ~2:
 - If so-amplified shear demand is less than (design) shear resistance w/o shear reinforcement:

No (minimum) horizontal reinforcement. Reason:

- Inclined cracking prevented (horizontal cracking & yielding due to flexure mainly at construction joints);
- If inclined cracking occurs, crack width limited by deformation-controlled nature of response (vs. force-controlled non-seismic actions covered in EC2), even w/o min horizontal steel.



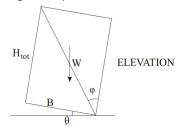
Design and Detailing of Large Lightly Reinforced Walls

Foundation Problem

Large I_w →

Large moment at the base and very low normalized axial force

- Usual way of footing with tie-beams is insufficient
- Impossible to form plastic hinge at the wall base. Wall will uplift & rock as a rigid body





Large Lightly Reinforced Walls

Boundary elements

$$\ell_c \ge \max - \begin{cases} b_w \\ 3b_w \sigma_{cm} / f_{cd} \end{cases}$$

σ_{cm} = mean value of concrete compressive stress

Longitudinal Reinforcement of Boundary Elements

(a) Diameter of vertical bars (EC8- §5.4.3.5.3 (2))

lower storeys wher $\Delta \ell_{\rm w} \le h_{\rm storey/3}$: $d_{\rm bL} \ge 12 mm$

higher storeys: $d_{bL} \ge 10$ mm

(b) Stirrups (EC8- §5.4.3.5.3 (1))

In all storeys-closed stirrups

$$d_{bw} \ge max(6mm, \frac{d_{bL}}{3})$$

 $s_w \le min(100mm, 8d_{bL})$

No other particular regulations for LLRCW

Secondary Seismic Members

- A limited number of structural members may be designated as secondary seismic members. The strength and stiffness of these elements against seismic actions shall be neglected.
- The total contribution to lateral stiffness of all secondary seismic members should not exceed 15% of that of all primary seismic members.
- Such elements shall be designed and detailed to maintain their capacity to support the gravity loads present in the seismic design situation, when subjected to the maximum deformations under the seismic design situation. Maximum deformations shall account for P-A.
- In more detail § 4.2.2., 5.2.3.6, 5.7

Thank you for your attention

http://www.episkeves.civil.upatras.gr

Specific Provisions in EC8 for:

- LOCAL EFFECTS to masonry infills see § 5.9
- CONCRETE DIAPHRAGMS see § 5.10

EUROCODES

PRECAST CONCRETE STRUCTURES see § 5.11

APPENDIX: Detailing & Dimensioning of seismic elements (Synopsis by M. Fardis)

Detailing & dimensioning of primary seismic beams (secondary as in DCL)

	Background and Applications (SCOOTHAULY 43 III BOL)					
		DCH	DCM	DCL		
	Bruspels 18-20 February 2008 - Discemination of information workshop	$1.5 h_w$		h_{w}		
	Longitudinal bars (L):					
	ρ _{min} , tension side	$0.5f_{etm}$	f_{yk}	$0.26f_{\text{ctm}}/f_{\text{yk}}, 0.13\%^{(0)}$		
	ρ _{max} , critical regions ⁽¹⁾	ρ'+0.0018f _{cd} /(μ	$I_{\phi} \epsilon_{sv,d} f_{vd})^{(1)}$	0.04		
Ĺ	A _{s,min,} top & bottom	2Ф14 (308mm ²)		-		
	A _{s,min} , top-span	A _{s,top-supports} /4		-		
	A _{s,min} , critical regions bottom	0.5A _{s,to}		-		
	A _{s,min} , supports bottom		A _{s,bottom-span} /4 ⁽⁰⁾			
	$d_{b\rm I}/h_e$ - bar crossing interior joint $^{(3)}$			-		
	d_{bL}/h_{c} - bar anchored at exterior joint $\!\!\!^{(3)}$			-		
		Transverse bars (w):				
	(i) outside critical regions					
	spacing s _w ≤		0.75d			
	$ ho_{ m w} \ge$	$0.08(f_{ck}(MPa))^{1/2}/f_{yk}(MPa)^{(0)}$				
	(ii) in critical regions:					
	$d_{bw} \ge$		6mm			
	spacing $s_w \le$	6d _{bL} , , 24d _{bw} , 175mm	$8d_{bL}$, $24d_{bw}$, $225mm$	-		
		Shear design:				
1	$ m V_{Ed}$, seismic $^{(4)}$	(4)	(4)	From the analysis for the "seismic design situation"		
	V _{Rd,max} seismic ⁽⁵⁾		1-f _{ck} (MPa)/250)b _{wo} zf _{cd} sin20			
Ī	$V_{Rd,s}$, outside critical regions ⁽⁵⁾ As in EC2: $V_{Rd,s} = b_w z p_w f_{ywd} \cot \theta$ ⁽⁵⁾ , with $1 \le \cot \theta \le 2.5$					
	V _{Rd,s} , critical regions ⁽⁵⁾	$V_{Rd,s}=b_wz\rho_wf_{ywd}(\theta=45^\circ)$		f _{vwd} cotθ, with 1≤cotθ≤2.5		
	If $\zeta = V_{Emin}/V_{Emax}^{(6)} < 0.5$: inclined bars at angle $\pm \alpha$ to beam axis, with cross-section A _s /direction	$\begin{array}{c} \text{If V}_{\text{Emax}}/(2+\zeta)f_{\text{ctd}}b_{\text{w}}d\!\!>\!\!1\colon\\ A_{\text{s}}\!\!=\!\!0.5\text{V}_{\text{Emax}}/f_{\text{yd}}\!\sin\!\alpha\\ \& \text{ stirrups for }0.5\text{V}_{\text{Emax}} \end{array}$		-		

APPENDIX: Detailing & Dimensioning of seismic elements (Synopsis by M. Fardis)

EUROCODES

Background and Applications

Footnotes - Table on detailing & dimensioning primary seismic beams (previous page)

- (0) NDP (Nationally Determined Parameter) according to EC2. The Table gives the value recommended in EC2.
- (1) μ_{ϕ} is the value of the curvature ductility factor that corresponds to the basic value, q_o , of the behaviour factor used in the design
- (2) The minimum area of bottom steel, $A_{s,min}$, is in addition to any compression steel that may be needed for the verification of the end section for the ULS in bending under the (absolutely) maximum negative (hogging) moment from the analysis for the "seismic design situation", M_{Ed} .
- (3) h_c is the column depth in the direction of the bar, $v_d = N_{Ed}/A_c f_{cd}$ is the column axial load ratio, for the algebraically minimum value of the axial load in the "seismic design situation", with compression taken as positive.
- (4) At a member end where the moment capacities around the joint satisfy: $\sum M_{Rb} > \sum M_{Rc}$, M_{Rb} is replaced in the calculation of the design shear force, V_{Ed} , by $M_{Rb}(\sum M_{Rc}/\sum M_{Rb})$
- (5) z is the internal lever arm, taken equal to 0.9d or to the distance between the tension and the compression reinforcement, d-d₁.
- (6) V_{Emax} , $V_{E,min}$ are the algebraically maximum and minimum values of V_{Ed} resulting from the \pm sign. V_{Emax} is the absolutely largest of the two values, and is taken positive in the calculation of ζ ; the sign of V_{Emin} is determined according to whether it is the same as that of V_{Emax} or not.

APPENDIX: Detailing & Dimensioning of seismic elements (Synopsis by M. Fardis)



Detailing & dimensioning of primary seismic columns (secondary as in DCL)

	DCH	DCM	DCL
0 0 11 1 1 5	0.25m;		
Cross-section sides, h _c , b _c ≥	$h_v/10 \text{ if } \Theta = P\delta/Vh > 0.1^{(1)}$		-
'critical region" length ⁽¹⁾ ≥	$1.5 \text{max}(h_e, b_e), 0.6 \text{m}, l_e/5$	$max(h_c,b_c), 0.6m, 1_c/5$	-
	Longitudinal bars (L):		
Pmin	1%		$0.1N_d/A_cf_{yd}$, 0.2%
ρ_{max}	4%		4%(0)
$d_{bL} \ge$		8mm	
bars per side ≥	3		2
Spacing between restrained bars	≤150mm	≤200mm	-
distance of unrestrained to nearest		≤150mm	
estramed our	Transverse bars (w):		
Outside critical regions:	Transverse sars (11).		
d₅m≥		6mm, d _{st} /4	
Spacing s _w ≤	20	d _{tr.} , min(h, b,), 400mm	an
s _w in splices ≤	12	d _{bl} , 0.6min(h _c , b _c), 240n	am
Within critical regions:(2)			
$d_{bw} \ge {}^{(3)}$	6mm , $0.4 (f_{vd}/f_{vwd})^{1/2} d_{bL}$	6m	m, d _{bL} /4
S _w ≤ (3),(4)	6d _{bL} , b _o /3, 125mm	8d _{bL} , b _o /2, 175mm	-
(a) > (5)	0.08		1=1
$\alpha c_{\text{vod}} \ge {}^{(4),(5),(6),(7)}$	$30\mu_{\phi}^* \nu_{d} \varepsilon_{sv,d} b_{c} / b_{o} - 0.035$		-
In critical region at column base:			
o _{wd} ≥	0.12	0.08	-
$\alpha \omega_{\text{wd}} \ge (4),(5),(6),(8),(9)$	30μοναε _{sv.d} b _e	/b _o -0.035	-
Capacity design check at beam-column joints: (10)	1.3∑M _{Rh} :	$\sum M_{Re}$	
Lapacity design check at beam-collimn joints:	No moment in transverse	e direction of column	-
Verification for M _x -M _y -N:	Truly biaxial, o	r uniaxial with (M _z /0.7,	N), (M _v /0.7, N)
Axial load ratio v _d =N _{Ed} /A _c f _{cd}	≤ 0.55	≤ 0.65	-
	Shear design:		
V_{Ed} seismic ⁽¹¹⁾	(11)	(11)	From the analysis for
			seisinic design situ
	As in EC2:		
V _{Rd,max} seismic (12), (13)	$V_{Rd,max} = 0.3(1-f_{ek}(MPa)/250)min[1.25; (1+v_d); 2.5(1-v_d)]b_{wo}zf_{ed}sin2\theta,$		
V _{Rd,s} seismic ^{(12), (13), (14)}		with $1 \le \cot \theta \le 2.5$ $zo_w f_{rwd} \cot \theta + N_{Ed}(h-x)/L$	

APPENDIX: Detailing & Dimensioning of seismic elements (Synopsis by M. Fardis)



Footnotes - Table on detailing & dimensioning primary seismic columns (previous page)

- (0) NDP (Nationally Determined Parameter) according to EC2. The Table gives the value recommended in EC2.
- h_e is the distance of the inflection point to the column end further away, for bending within a plane parallel to the side of interest; l_e is
 the column clear length.
- (2) For DCM: If a value of q not greater than 2 is used for the design, the transverse reinforcement in critical regions of columns with axial load ratio ν_d not greater than 0.2 may just follow the rules applying to DCL columns.
- (3) For DCH: In the two lower storeys of the building, the requirements on d_{bw}, s_w apply over a distance from the end section not less than 1.5 times the critical region length.
- (4) Index c denotes the full concrete section and index o the confined core to the centreline of the hoops; bois the smaller side of this core.
- (5) $\omega_{\rm wd}$ is the ratio of the volume of confining hoops to that of the confined core to the centreline of the hoops, times $f_{\rm vd}/f_{\rm cd}$.
- (6) α is the "confinement effectiveness" factor, computed as α = α_sα_n; where: α_s = (1-s/2b_o)(1-s/2b_o) for hoops and α_s = (1-s/2b_o) for spirals; α_n = 1 for circular hoops and α_n=1-{b_o/[(n_b-1)h_o]+h_o/[(n_b-1)b_o]}/3 for rectangular hoops with n_b legs parallel to the side of the core with length b_o and n_b legs parallel to the one with length h_o.
- (7) For DCH: at column ends protected from plastic hinging through the capacity design check at beam-column joints, μ_φ is the value of the curvature ductility factor that corresponds to 2/3 of the basic value, q_ω, of the behaviour factor used in the design; at the ends of columns where plastic hinging is not prevented because of the exemptions listed in Note (10) below, μ_φ is taken equal to μ_φ defined in Note (1) of the Table for the beams (see also Note (9) below); g_{w,σ} f_{t,φ} f_{t,φ}.
- (8) Note (1) of the Table for the beams applies.
- (9) For DCH: The requirement applies also in the critical regions at the ends of columns where plastic hinging is not prevented, because of the exceptions listed in Note (10) below.
- (10) The capacity design check does not need to be fulfilled at beam-column joints: (a) of the top floor, (b) of the ground storey in two-storey buildings with axial load ratio v_d not greater than 0.3 in all columns, (c) if shear walls resist at least 50% of the base shear parallel to the plane of the frame (wall buildings or wall-equivalent dual buildings), and (d) in one-out-of-four columns of plane frames with columns of similar size.
- (11) At a member end where the moment capacities around the joint satisfy: $\sum M_{Rb} < \sum M_{Rc}$, M_{Rc} is replaced by $M_{Rc}(\sum M_{Rb}) > M_{Rc}$.
- (12) z is the internal lever arm, taken equal to 0.9d or to the distance between the tension and the compression reinforcement, d-d₁.
- (13) The axial load, N_{Ed}, and its normalized value, v_d, are taken with their most unfavourable value in the seismic design situation for the shear verification (considering both the demand, V_{Ed}, and the capacity, V_{Ed}).
- (14) x is the compression zone depth at the end section in the ULS of bending with axial load

APP

APPENDIX: Detailing & Dimensioning of seismic elements (Synopsis by M. Fardis)

Detailing & dimensioning of ductile walls (cont'd next page)



	DCH	DCM	DCL	
Web thickness, b _{wo} ≥	max(150mm, h _{ste}	-		
	$\geq \max(l_w, H_w/c)$			
critical region length, h _{er} ≥	≤ min(2l _w , h _{storey}) if wa			
	$\leq \min(2l_w, 2 h_{\text{storey}}) \text{ if } was$	all > 6 storeys		
	Boundary eleme	ents:		
a) in critical region:	·			
length l _c from edge ≥	0.15l _w , 1.5b _w , length over v	vhich ε _c > 0.0035	where ρ _L >2%	
thickness b _w over l _c ≥	200mm, h _{st} /15, if l _e ≤ma	$ax(2b_w, 1_w/5),$		
tinckness o _w over 1 _e ≥	200mm, h _{st} /10, if l _e >ma	$ax(2b_w, l_w/5)$	-	
vertical reinforcement:				
o _{min} over A _c =l _c b _w	0.5%		0.2% ⁽⁰⁾	
ρ _{max} over A _c		4% ⁽⁰⁾		
confining hoops (w) (2):				
d _{bw} ≥	8mm	if ρ _L over A _c =l _c b _w >2%:apply	6mm, d _{bL} /4	
spacing s _w ≤ ⁽³⁾ ω _{wd} ≥ ⁽²⁾	min(25d _{kh} , 250mm)	DCL rule for ρ ₁ >2%	min(20d _{kt} , b _{wa} 400mm) ⁽⁰	
ω _{wd} ≥ ⁽²⁾	0.12	0.08	U U	
$\alpha \omega_{\text{wd}} \geq^{(3),(4)}$	$30\mu_{\phi}(\nu_d+\omega_v)\epsilon_{sy,d}b_w/b_o-0.035$		· ·	
b) storey above critical region	as is critical region, but with required	ρ _v ≥0.5% wherever ε _c >0.2%;		
b) storey above critical region	αω _{wd} , ω _{wd} reduced by 50%	elsewhere ρ _v ≥0.2%		
c) over the rest of the wall:	No boundary elements. ρ _v ≥0.5% wherever ε _c >0.2%; elsewhere ρ _v ≥0.2%		-	
	Web:			
vertical bars (v):				
Pv.min	0.2%	0.29	% ⁽⁰⁾	
Pv.max		4%		
d _{bv} ≥	8mm			
d _{bv} ≤	b _{wo} /8		-	
spacing s _v ≤	$min(25d_{bv}, 250mm)$ $Min(3b_{wo},$, 400mm)	
- horizontal bars:				
Phmin	0.2%	max(0.1%	, 0.25ρ _v) ⁽⁰⁾	
$d_{bh} \ge$	8mm		-	
d _{bh} ≤	b _{wo} /8		-	
spacing s _h ≤	min(25d _{bh} , 250mm)	400	mm	
axial load ratio $v_d = N_{Ed}/A_c f_{ed}$	≤0.35	≤0.4	-	
	If H _w /l _w ≥2, design moments from linear e		From analysis for "seismi	
Design moments M _{Ed} : M _{Ed} from analysis for the "seismic design situation", shifted up by the design situation design situation.				

APPENDIX: Detailing & Dimensioning of seismic elements (Synopsis by M. Fardis)

EUROCODES

Detailing & dimensioning of ductile walls (cont'd from previous page)

2000 0000000000000000000000000000000000	DCH	DCM	DCL		
Shear design:					
Multiplicative factor ε on the shear force V' _{Ed} from the analysis for "seismic design situation":	if $H_w/I_w \le 2^{(5)}$: $\epsilon = 1.2 M_{Rdo}/M_{Edo} \le q$ if $H_w/I_w \ge 2^{(5)}$, (6).	ε=1.5	ε=1.0		
Design shear force in walls of dual systems with $H_w/l_w>2$, for z between $H_w/3$ and H_w : (7)			From analysis for "seismic design situation"		
V _{Rd,max} outside critical region	As in EC2: V _{Rd,max} =0.3(1-f _{ck}	(MPa)/250)b _{wo} (0.81 _w)f _{cd} sin2θ, v	vith 1≤cotθ≤2.5		
V _{Rd,max} in critical region	40% of EC2 value As in EC2				
V _{Rd,s} outside critical region	As in EC2: $V_{Rds} = b_{wo}(0.8l_w)\rho_h f_{vwd} \cot\theta$ with $1 \le \cot\theta \le 2.5$				
$V_{Rd,s}$ in critical region; web reinforcement ratios. ρ_h , ρ_v					
(i) if $\alpha_s = M_{Ed}/V_{Ed}l_w \ge 2$: $\rho_v = \rho_{v,min}$, ρ_h from $V_{Rd,s}$:	As in EC2: V _{Rd,s} =0	$o_{wo}(0.8l_w)\rho_h f_{ywd}cot\theta$ with $1 \le co$	otθ≤2.5		
(ii) if α_s <2: ρ_h from $V_{Rd,s}$: (8) ρ_v from: (9)	$V_{Rd,s}=V_{Rd,c}+b_{wo}\alpha_s(0.75l_w)\rho_hf_{vhd}$ $\rho_vf_{yvd} \ge \rho_hf_{yhd}-N_{Ed}/(0.8l_wb_{wo})$	As in EC2: $V_{Rd,s}=b_{wo}(0.8l_w)\rho$	$o_h f_{ywd} \cot \theta$ with $1 \le \cot \theta \le 2$.		
Resistance to sliding shear: via	$V_{Rd,s} = A_{si} f_{yd} cos \phi +$				
bars with total area A _{si} at angle	$A_{sv}min(0.25f_{yd}, 1.3(f_{yd}f_{cd})^{1/2})+$				
±φ to the horizontal (10)	$0.3(1-f_{ck}(MPa)/250)b_{wo}xf_{cd}$				
$\rho_{v,min}$ at construction joints ^{(9),(11)}					



APPENDIX: Detailing & Dimensioning of seismic elements (Synopsis by M. Fardis)



Footnotes - Table on detailing & dimensioning ductile walls (previous pages)

- (0) NDP (Nationally Determined Parameter) according to EC2. The Table gives the value recommended in EC2
- (1) Iw is the long side of the rectangular wall section or rectangular part thereof; Hwis the total height of the wall; hstorev is the storey height.
- (2) For DC M: If for the maximum value of axial force in the wall from the analysis for the "seismic design situation" the wall axial load ratio $v_d = N_{Ed}/A_c f_{cd}$ satisfies $v_d \le 0.15$, the DCL rules may be applied for the confining reinforcement of boundary elements; the waiver applies also if this value of the wall axial load ratio is $v_d \le 0.2$ but the value of q used in the design of the building is not greater than 85% of the q-value allowed when the DC M confining reinforcement is used in boundary elements.
- Notes (4), (5), (6) of the Table for columns apply for the confined core of boundary elements.
- (4) μ₀ is the value of the curvature ductility factor that corresponds to the product of the basic value q₀ of the behaviour factor times the value of the ratio M_{Edo}/M_{Rdo} at the base of the wall (see Note (5)); $\epsilon_{sv,d} = f_{vd}/E_s$, ω_{vd} is the mechanical ratio of the vertical web
- (5) M_{Edo} is the moment at the wall base from the analysis for the "seismic design situation"; M_{Rdo} is the design value of the flexural capacity at the wall base for the axial force NEd from the analysis for the same "seismic design situation".
- (6) S_e(T₁) is the value of the elastic spectral acceleration at the period of the fundamental mode in the horizontal direction (closest to that) of the wall shear force multiplied by ε ; $S_e(T_c)$ is the spectral acceleration at the corner period T_C of the elastic spectrum.
- (7) A dual structural system is one in which walls resist between 35 and 65% of the seismic base shear in the direction of the wall shear force considered; z is distance from the base of wall.
- (8) For bw and d in m, fck in MPa, pL denoting the tensile reinforcement ratio, NEd in kN, VRdc (in kN) is given by:

N_{rd} is positive for compression and its minimum value from the analysis for the "seismic design situation" is used; if the minimum value is negative (tension), V_{Rd.c}=0.

- (9) The minimum value of the axial force from the analysis for the "seismic design situation" is used as N_{Ed} (positive for compression).
- (10) Asy is the total area of web vertical bars and of any additional vertical bars placed in boundary elements against shear sliding; x is the depth of the compression zone.
- (11) $f_{\text{ctd}} = f_{\text{ctx}, 0.05}/\gamma_c$ is the design value of the (5%-fractile of) tensile strength of concrete.